

Sardar Patel Institute of Technology Bhavan's Campus, Munshi Nagar, Andheri (West), Mumbai-400058-India

(Autonomous Institute Affiliated to University of Mumbai)

Course Code	Course Name	Teaching Scheme (Hrs/week)			Credits Assigned			
		L	Т	P	L	Т	Р	Total
BS31	Applied Mathematics-I	3	1		3	1		4
		Examination Scheme						
		ISE		MSE	ESE			
		10		30	100 (60% Weightage)			

Pre-requisit	e cours	e codes BS11 (Engineering Mathematics I)				
		BS21 (Engineering Mathematics II)				
After successful completion of the course, student will be able to						
	CO1	Evaluate Laplace and Inverse Laplace transform of functions using various				
		properties.				
	CO2	Solve differential equations with given initial conditions using Laplace and				
		Laplace Inverse.				
Course	CO3	3 Expand functions in terms of sine and cosine series on the given interval.				
Outcomes CO4 Find Fourier transforms by applying its various properties						
	CO5	Check for a function being analytic using Cauchy-Reimann equations and				
		construct analytic functions.				
	CO6	Construct Bilinear Transformations and find images under Co	onformal			
		mappings				

Module	Module	Unit	Topics	Ref	Hours
No	Name	No			
1	Laplace Transform	1.1	Definition of Laplace Transform, LT of e^{at} , sin(at), cos(at), sinh(at), cosh(at), erf(t).		03
		1.2	Properties of Laplace Transform: Linearity, change of scale, first shifting theorem, second shifting theorem, multiplication by t, division by t, Laplace Transform of derivatives and integrals.	1,2,3,4	06
2	Inverse Laplace Transform, Special	2.1 Inverse Laplace Transform using Partial fraction method, Convolution theorem (without proof), differentiation and integration property.		1004	04
	Functions and	2.2	Laplace of Heavi-side unit step, dirac-delta function, LT of periodic function	1,2,3,4	03
	Applications of Laplace	2.3	Applications of Laplace Transforms to find solution of ordinary differential equations and simultaneous differential equations.		03



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		3.1	Introduction to Fourier Series, Dirichlet's condition of convergences, Euler's formulae		02
3	Fourier Series and Fourier Transforms	3.2	Fourier series of algebraic, exponential, trigonometric functions ,half range sine and cosine series, Parsevals Identity. Complex form of Fourier series. Differentiation and Integration of Fourier Series.	1,2,3,4	05
		3.3	Fourier Transforms, Inverse Fourier Transforms and its applications		06
4	Complex	4.1	Definition of analytic function, Cauchy Reiman equations in Cartesian and polar form. Constructing analytic function by Milne Thompson and analytic method.	1,2,3,4	05
	Variable	4.2	Harmonic functions, orthogonal trajectories		02
		4.3	Conformal Mappings		03
			I	Total	42
					Hrs

References:

- 1. Kreyszig, "Advanced Engineering Mathematics, 9thedition", John Wiley
- 2. H.K.Dass, "Advanced Engineering Mathematics", 28th edition, S.Chand, 2010
- 3. Grewal B.S., "Higher Engineering Mathematics", 38thedition, Khanna Publication
- 4. Jain and Iyengar, "Advanced Engineering Mathematics", 4th edition, Narosa Publishing House, Pvt. Ltd, 2014